

### Calibrating Travel Demand Model Volume-Delay Functions Using Bottleneck and Queuing Analysis



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North Carolina Model Users Group Meeting – April 2011

## Overview

- Literature Review
- Motivation
- Approach
- Results
- Conclusions and Future Research

## Literature Review

BPR, Conical, HCM, Akcelik

Adjustments made during highway assignment

Some agencies use locally collected data, most rely on defaults

Need for more research on methods for using locally collected data

## Motivation

#### Challenge:

- Models heavily dependent on data
- Highway assignment relies primarily on traffic counts
- How to represent demand greater than capacity

#### Solution:

- Freeway detector data
- Bottleneck and Queue Analysis
- Approach for estimating demand beyond capacity

### Data





### **Processing: Density**

$$k = \left(\frac{52.8}{L_v + L_d}\right) * \% OCC$$

K=density (pc/mile)

- $L_v$  = average vehicle length (feet)
- $L_d$  = detection zone length (feet)

%OCC = percent occupancy



### Processing: Reasonableness Checks

Location 3 Speed-Density 80 70 60 50 Speed 40 Offpeak 30 7:00 - 9:00 AM 20 ▲ 5:00 - 7:00 PM 10 0 0.00 20.00 40.00 60.00 80.00 100.00 120.00 140.00 Density





Location 1 (lanes=5)



#### Location 5 (lanes=4)



Location 2 (lanes=4)



Location 6 (lanes=4)



Location 3 (lanes=5)







Location 7a (lanes = 3)





5-minute Flow Rate

ottle ō dentification

### Spatial Extent of Queue



## Length of Queue

$$A = \left(.5d_{ud} * L\right) + \left(.5d_{dd} * L\right)$$

- A = area of influence
- $d_{ud}$  = distance to upstream detector (mi)
- d<sub>dd</sub> = distance to downstream detector (mi)
- L= number of lanes

### Queue per Time Interval

$$Queue_T = \sum_{i=1}^n [(k_{Ti}) * (A_i)]$$

- T = time interval of interest (min)
- i = detector
- n = maximum number of detectors

 $k_{Ti}$  = density at time interval T for detector i (pc/mi)

 $A_i$  = number of lanes

### Demand

$$Demand_{B} = (DemandAtCapacity) + (Queue_{T})$$

 $D_B$  = demand at the bottleneck DemandAtCapacity = calculated as the average of the top 1% measured flow rate Queue<sub>T</sub> = queue per time interval

Finally:

 $D/C = (Demand_B)/(Capacity)$ 

## Model Fitting



#### **Results**

## Model Fitting

Function	t <sub>0</sub> (hrs)	FFS (mph)	Alpha	Beta	J	R <sup>2</sup>	MSE (mph) <sup>2</sup>	T- test	F- test
BPR	0.95	63.4	0.17	4.50		0.88	.06	1.0	0.29
Conical	0.92	65.2	1.68			0.72	.23	0	0.73
Akcelik	0.96	61.4			0.10	0.85	.09	1.0	0.0
Exponential	0.92	65.2	0.25	2.65		0.86	.07	0.97	0.19

#### Results

# Findings

- Models perform well
- Parameters are within expected range
- Akcelik, BPR, and exponential acceptable models
- Bottleneck and queuing analysis effective approach



### **Conclusions / Future Research**

#### Conclusions:

- Analysis tools needed
- Visualize demand > capacity
- Straightforward approach

#### Future Research:

- Transferability
  - Other freeways in Raleigh-Durham
  - Other freeways in other areas
  - Multi-lane highways

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## Thank You!

